

IMPROVED ATOMIC SCALE CONTRAST VIA BIMODAL DFM: DUAL OC4

Frequency-modulation atomic force microscopy (FM-AFM) is an efficient and already widely spread technique to obtain atomically resolved images of insulating or metallic surfaces. Typically, FM-AFM is based on scanning a sharp tip of a macroscopic cantilever over the surface, where the tip-surface distance is usually controlled by the frequency shift (Δf_1) of the first normal resonant mode (f_1) of the cantilever. The atomic-scale contrast arises from short range forces; e.g. covalent or ionic bonds, thus the detection sensitivity of the FM-AFM can be improved by using small tip oscillation amplitudes comparable to the decay length of the short-range forces, ~ 0.1 nm. A lot of efforts are put in this direction in the FM-AFM field, mainly based on the excitation of a tuning fork sensor [1] or higher flexural modes of cantilevers characterized by larger stiffness [2].

We made use of our home-built UHV RT-SPM with Nanonis SPM Control System and imaged a clean KBr(001) surface. Thanks to the Nanonis DUAL OC4 add-on, we were able to simultaneously excite via a dither piezo a commercial cantilever at the first (f_1) and the second flexural resonance frequencies (f_2), and independently demodulate Δf_1 and Δf_2 . The core of the experimental setup is emphasized in Figure 1. With appropriate P/I gains for the Z-Controller and carefully chosen demodulation bandwidths for both OC4-s, we optimized the experimental conditions and we were able to control and detect extremely small signals.

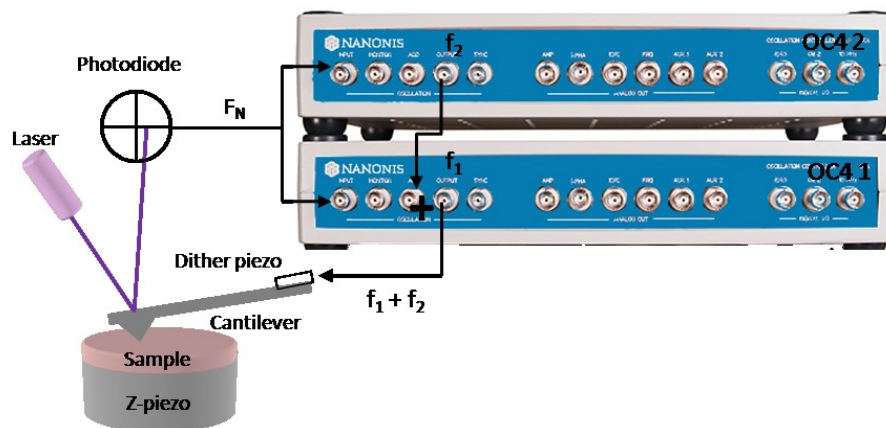


Figure 1. Core of the experimental setup. The cantilever is mechanically excited at first (f_1) and second flexural (f_2) modes with a DUAL OC4 configuration. The two OC4 devices are set as two independent phase-locked loop circuits that demodulate Δf_1 and Δf_2 from the photodiode vertical deflection signal (F_N).

The oscillation amplitudes were carefully controlled to well defined values A_1 and A_2 . Accurate amplitude calibration was insured by an automated procedure based on the Nanonis LabVIEW Programming Interface. When using small amplitudes for the second flexural mode compared to the first mode ($A_2 \sim$ tens of pm, $A_1 \sim$ tens of nm), we demonstrate that $\Delta f_2(z)$ gets

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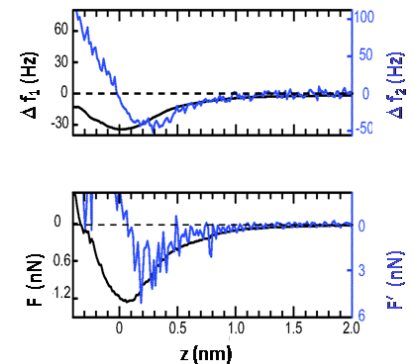


Figure 2. a) Distance dependence of Δf_1 and Δf_2 measured exactly on top of an atom with amplitudes $A_1 = 17.8$ nm, $A_2 = 25$ pm. b) interaction force F calculated from Δf_1 in (a) and the corresponding force gradient F' . Cantilever parameters: $f_1 = 154.021$ kHz, $f_2 = 960.874$ kHz, $Q_1 = 31059$, and $Q_2 = 6246$.

proportional to the interaction force gradient $F'(z)$ averaged over the large oscillation A_1 . F' shows stronger z dependence than F , thus Δf_2 is more sensitive to the short range forces than to Δf_1 , see Figure 2. Bimodal Dynamic Force Microscopy (Bimodal DFM), opposite to conventional FM-AFM with one small amplitude, enables the access to closest tip-sample distances during one oscillation cycle, moment when the frequency shift of the second flexural resonance Δf_2 becomes extremely sensitive to short-range interactions, thus enhancing the atomic scale contrast without causing instabilities.

As a proof, on a atomic step on KBr(001) surface the 2D second resonance frequency shift Δf_2 map shows increased contrast compared to the feedback error signal of the topography Δf_1 , see Figure 3. The short and long-range contribution to Δf_1 strongly varies and the tip cannot follow the real topography in the vicinity of the step. As the amplitude of the second flexural mode is small, Δf_2 is more sensitive to the short-range forces and extremely sharp contrast is then obtained.

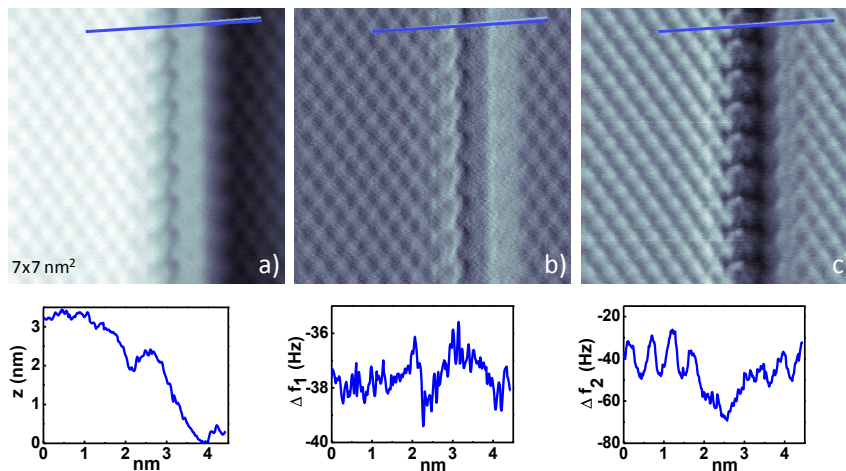


Figure 3. Atomically resolved bimodal DFM images on KBr(001): a) Topography and cross section, b) Δf_1 map, and cross section. c) Δf_2 map and cross section. Cantilever parameters: $A_1 = 10$ nm, $A_2 = 50$ pm, $f_1 = 154.021$ kHz, $Q_1 = 31059$, $f_2 = 960.874$ kHz, $Q_2 = 6246$, z setpoint $\Delta f_1 = -38$ Hz.

Bimodal DFM is definitely a step forward in the unceasing efforts of pushing the atomic force resolution to new frontiers, and why not, the starting point for multi-modal DFM, where more than two oscillations are simultaneously controlled.

References:

- [1] F. J. Giessibl, *APL* **73**, 3956 (1998).
- [2] S. Kawai et al., *APL* **86**, 193107 (2005).
- [3] S. Kawai et al., *PRL* **103**, 220801 (2009)

Nanonis Modules in Use:

- Base Package
- Oscillation Controller OC4
- Dual OC4
- LabVIEW Programming Interface
- Atom Tracking

System:

- Home-built UHV RT-SPM